

1. If a certain bacteria population quadruples in 3 hours, determine the time  $T$  in hours that it takes the population to triple.

2. 86% of a radioactive material remains after 20 days.

a) Find the decay constant.

b) Find the time  $T$  in days after the initial measurement when 44% of the original amount of material remains.

3. Alice invests \$2000 at Bob's bank and \$4000 at Charlie's bank. Bob compounds interest continuously at a nominal rate of 8%. Charlie compounds continuously at a nominal rate of 6%. In how many years will the two investments be worth the same amount? How much will they each be worth then?

4. Air pressure  $p(h)$  in lb/in<sup>2</sup> at an altitude of  $h$  feet above sea level is approximated by the formula  $p(h) = 14.7e^{-0.0000385h}$ . At approximately what altitude  $h$  is the air pressure 14 lb/in<sup>2</sup>?

5. Alice makes an initial investment on January 1, 2000 into a bank account on that compounds continuously at an unknown rate.

On January 1, 2003, the balance was \$270.00. On January 1, 2014, the balance was \$400.00.

a) Determine the interest rate.

b) Determine the initial investment.

6. A bacteria population begins with 540 bacteria present and grows exponentially. Each bacterium divides into 2 organisms every 35 minutes.

a) Find the size of the population after 4 hours.

b) After how many minutes will the population triple?